[Ex. 1] Consider the HOFL term

 $t \stackrel{\text{def}}{=} \mathbf{rec} \ f. \ \lambda x. \ \mathbf{if} \ x \ \mathbf{then} \ 0 \ \mathbf{else} \ fx + fx \ : \ int \to int$

- 1. Compute the canonical form of the term t 1, if any.
- 2. Compute the denotational semantics of t.

[Ex. 2] Consider the (recursive) CCS process definitions

- 1. Draw the LTSs of processes P and Q.
- 2. Show that P and Q are not strong bisimilar.
- 3. Show that Alice has a winning strategy for the weak bisimulation game on P and Q.

[Ex. 3] Write the following Google Go functions (and comment the code):

- 1. *filter* that takes an integer **n** and two channels **in** and **out** and forwards on **out** all the integers received from **in** that are different from **n**. It closes channel **out** when channel **in** is closed.
- 2. nodup that takes two channels in and out and forwards to out all integers received from in without sending duplicates. It closes channel out when all values have been forwarded. Hint: install a new filter before nodup for each value sent on out.
- 3. main, to test nodup.

[Ex. 4] Consider the atomic propositions p and q and the linear structure S such that

 $S(p) = \{n \in \mathbb{N} \mid n \text{ is odd}\} \qquad S(q) = \{n \in \mathbb{N} \mid n \text{ can be divided by 2 or by 3}\}$

Which of the following hold? (Explain)

- 1. $S \models \mathsf{O} p$
- 2. $S \models \mathsf{G} \not\models p$
- 3. $S \models \mathsf{F} \mathsf{G} p$
- 4. $S \models \mathsf{F} (q \mathsf{U} p)$
- 5. $S \models \mathsf{G} (q \cup \mathsf{O}p)$