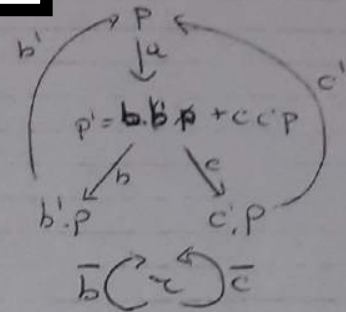


Es 5

Text

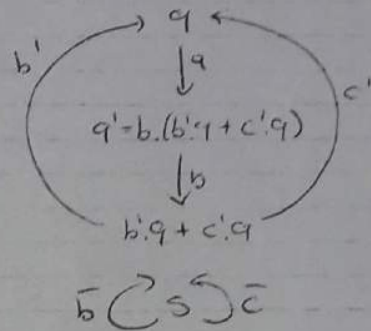
$$P \stackrel{\text{def}}{=} \text{rec } X. (a. (b. b'. X + c. c'. X))$$

$$\tau \stackrel{\text{def}}{=} \text{rec } Z. (\bar{b} Z + \bar{c}. Z)$$

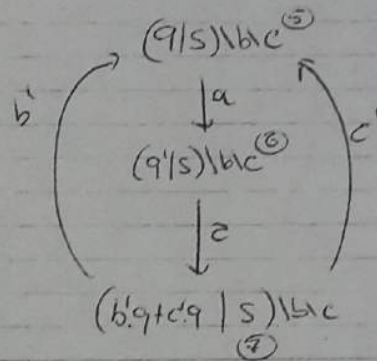
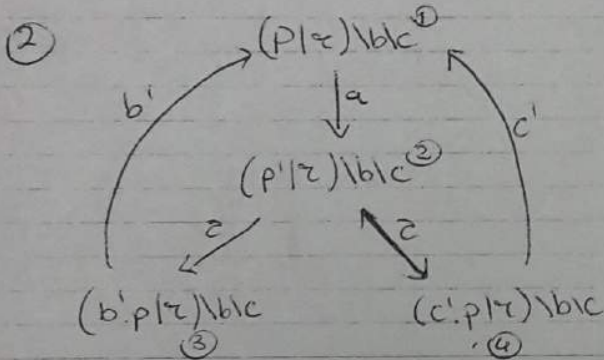


$$Q \stackrel{\text{def}}{=} \text{rec } Y. a. (b. (b'. Y + c'. Y))$$

$$S \stackrel{\text{def}}{=} (\text{rec } V. \bar{b}. V) | (\text{rec } W. \bar{c}. W)$$



① The LTSs for τ and S are isomorphic and thus τ and S are strongly bisimilar



$$R_0 = \{ \{ \emptyset, \emptyset, \emptyset, \emptyset, \emptyset, \emptyset \} \}$$

$$R_1 = \{ \{ \emptyset, \emptyset \}, \{ \emptyset \}, \{ \emptyset \}, \{ \emptyset, \emptyset, \emptyset \} \}$$

$$R_2 = \{ \{ \emptyset, \emptyset \}, \{ \emptyset \}, \{ \emptyset \}, \{ \emptyset \}, \{ \emptyset, \emptyset \} \}$$

because $\emptyset \xrightarrow{\tau} \emptyset$
cannot be simulated by \emptyset and \emptyset

$$R_3 = \{ \{ \emptyset \}, \{ \emptyset \}, \{ \emptyset \}, \{ \emptyset \}, \{ \emptyset \}, \{ \emptyset, \emptyset \} \}$$

$$R_4 = R_3$$

Thus \emptyset and \emptyset are not equivalent according to weak bisimilarity